

## Continuum ways of approaching a continuum with the ray

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*Abstract:* In 2014, V. Martínez-de-la-Vega and P. Minc proved that, for an arbitrary nondegenerate metric continuum  $X$ , there is an uncountable collection  $\mathcal{K}$  of topologically distinct metric compactifications of  $[1, \infty)$ , having  $X$  as the remainder. It is not clear without the continuum hypothesis that cardinality of  $\mathcal{K}$  is  $2^{\aleph_0}$ . However, the continuum hypothesis is rarely necessary in the theory of metric continua. To support this assertion, we present an explicit construction of a compact metric space  $K$  with  $2^{\aleph_0}$  mutually not homeomorphic components each of which is a compactification of  $[1, \infty)$ , having a copy of  $X$  as the remainder.